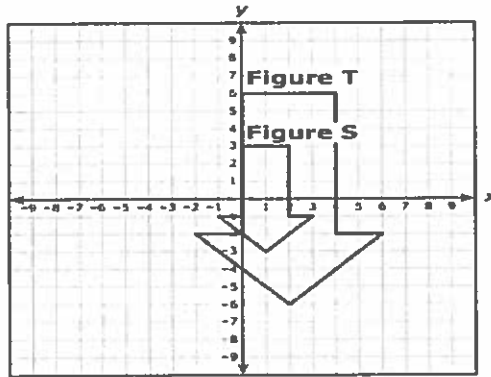


Figure S, the small arrow, was dilated with the origin as the center of dilation to create Figure T, the large arrow.



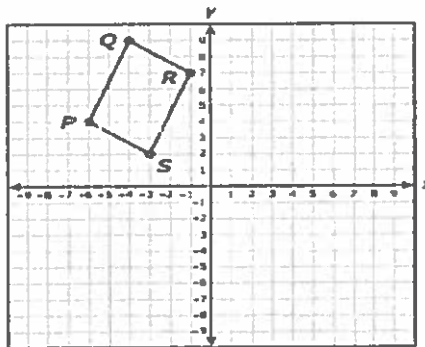
Which rule best represents the dilation that was applied to Figure S to create Figure T?

- A  $(x, y) \rightarrow (2x, 2y)$
- B  $(x, y) \rightarrow (4x, 4y)$
- C  $(x, y) \rightarrow (\frac{1}{2}x, \frac{1}{2}y)$
- D  $(x, y) \rightarrow (\frac{1}{4}x, \frac{1}{4}y)$

I picked \_\_\_\_ because Figure \_\_\_\_ is the original image, therefore, the image got \_\_\_\_\_.

Explain how you knew which scale factor was used:

The coordinate grid shows parallelogram PQRS.

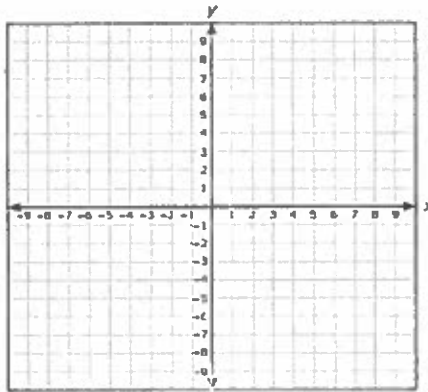


Parallelogram PQRS is rotated 90° clockwise about the origin to create parallelogram P'Q'R'S'. Which rule describes this transformation?

- F  $(x, y) \rightarrow (x, -y)$
- G  $(x, y) \rightarrow (-x, y)$
- H  $(x, y) \rightarrow (y, x)$
- J  $(x, y) \rightarrow (y, -x)$

I picked \_\_\_\_ because I know that when a 90 degrees rotation takes place, the x and the y \_\_\_\_\_ then \_\_\_\_\_ !!!

The coordinates of the vertices of a quadrilateral are  $P(1, 2)$ ,  $R(1, 4)$ ,  $S(3, 4)$ , and  $T(4, 2)$ .



Quadrilateral  $PRST$  is reflected across the  $y$ -axis to create quadrilateral  $P'R'S'T'$ . Which rule describes this transformation?

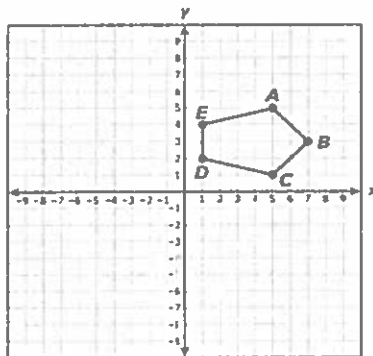
- A  $(x, y) \rightarrow (x, -y)$
- B  $(x, y) \rightarrow (-x, y)$
- C  $(x, y) \rightarrow (y, -x)$
- D  $(x, y) \rightarrow (-y, x)$

I picked \_\_\_ because I know that when it reflects over the  $y$ -axis then the \_\_\_ stays the same.

Triangle  $ABC$  was translated 2 units to the right and 3 units down. Which rule describes the translation that was applied to triangle  $ABC$  to create triangle  $A'B'C'$ ?

- F  $(x, y) \rightarrow (x - 3, y + 2)$
- G  $(x, y) \rightarrow (x + 2, y - 3)$
- H  $(x, y) \rightarrow (2x, -3y)$
- J  $(x, y) \rightarrow (-3x, 2y)$

Pentagon  $ABCDE$  is rotated  $180^\circ$  clockwise about the origin to form pentagon  $A'B'C'D'E'$ .



Which statement is true?

- A Pentagon  $ABCDE$  is congruent to pentagon  $A'B'C'D'E'$ .
- B The sum of the angle measures of pentagon  $A'B'C'D'E'$  is  $180^\circ$  more than the sum of the angle measures of pentagon  $ABCDE$ .
- C Each side length of pentagon  $A'B'C'D'E'$  is 2 times the corresponding side length of pentagon  $ABCDE$ .
- D Each side length of pentagon  $A'B'C'D'E'$  is  $\frac{1}{2}$  the corresponding side length of pentagon  $AECDE$ .